

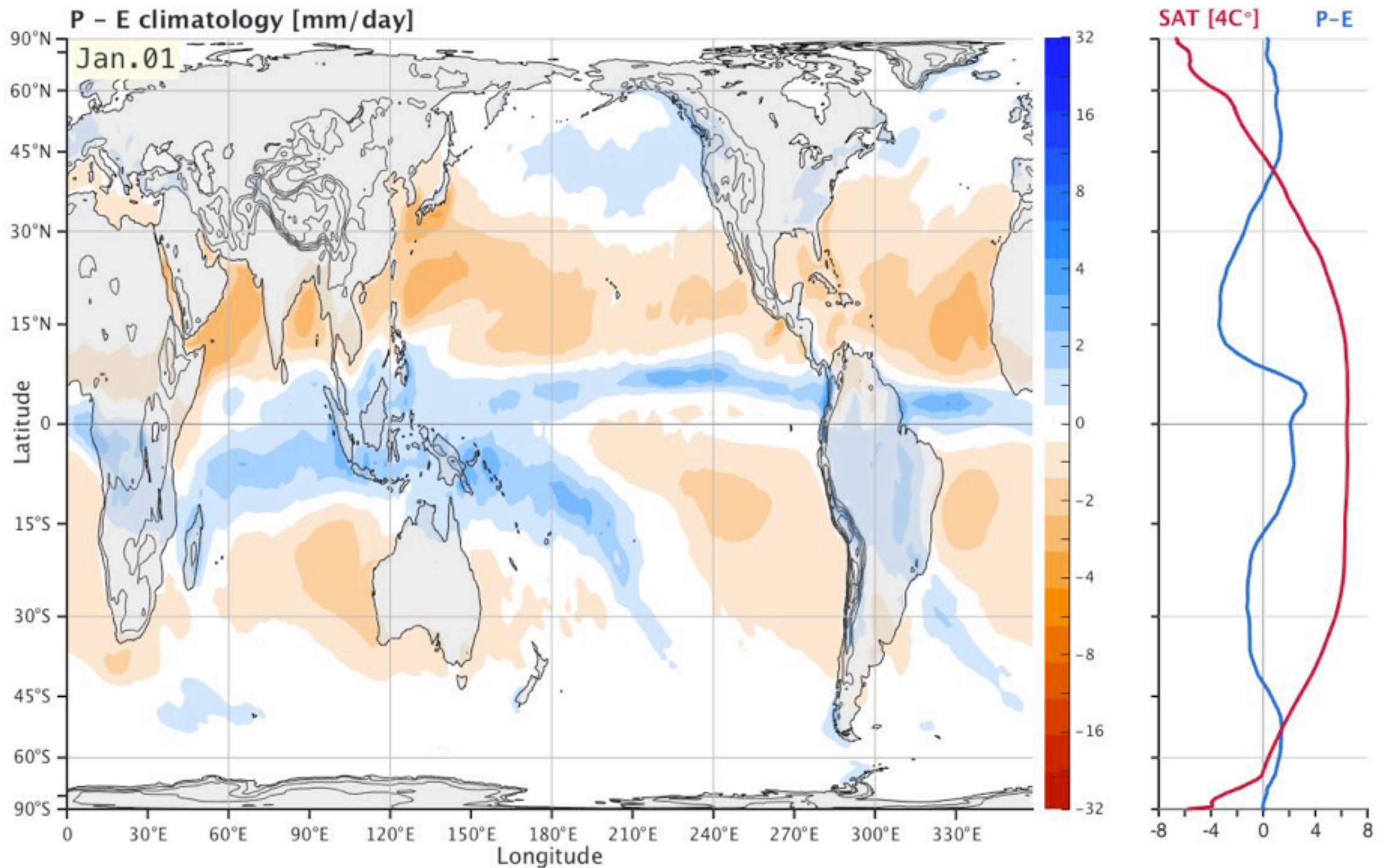
Single to Double-ITCZ transitions

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Simona Bordoni (Caltech), Ori Adam (ETH)

Les Houches, 2015

Motivation - Reanalysis Data



Video by Ori Adam

Motivation - Reanalysis Data

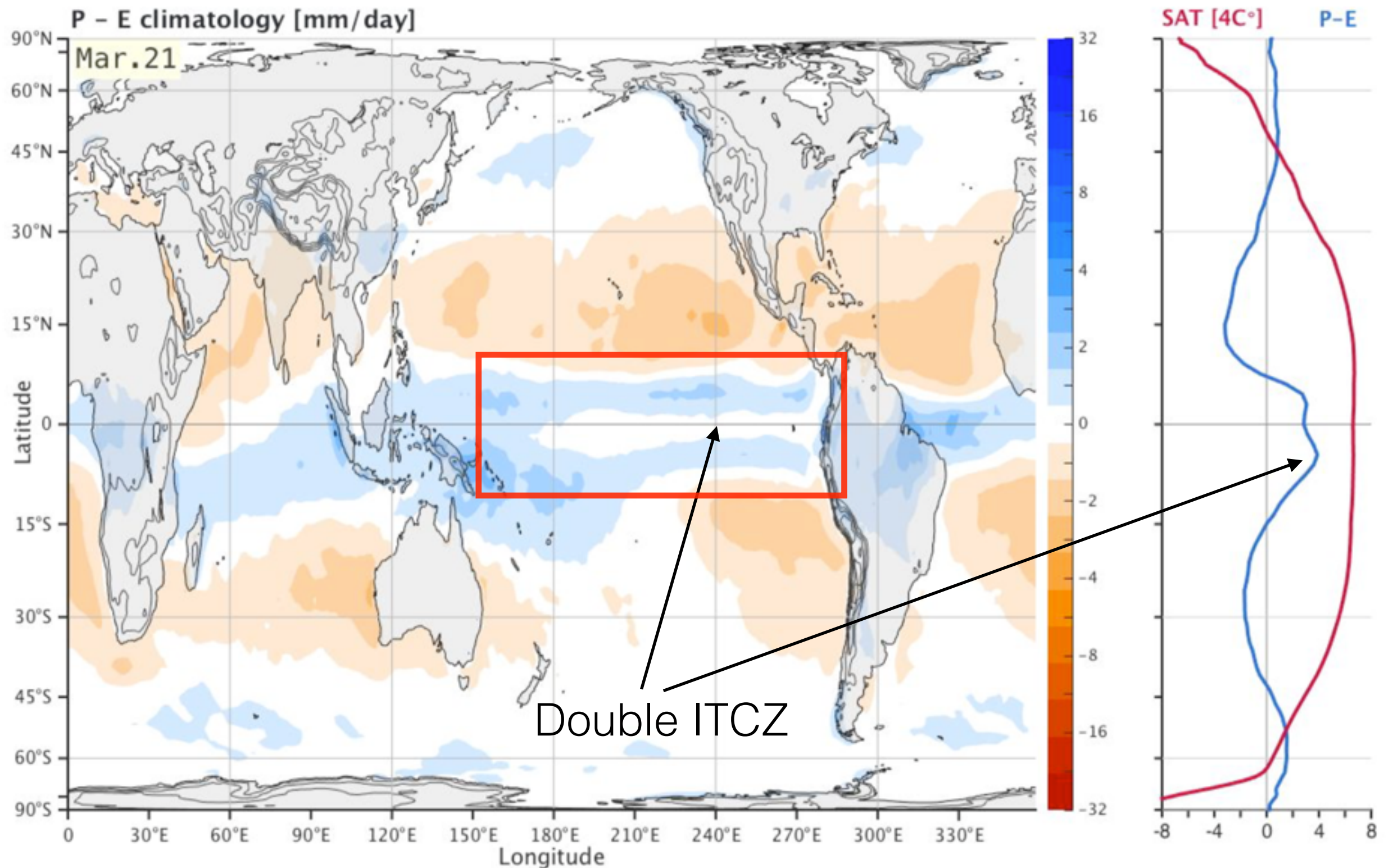


Figure by Ori Adam

Motivation - Reanalysis Data

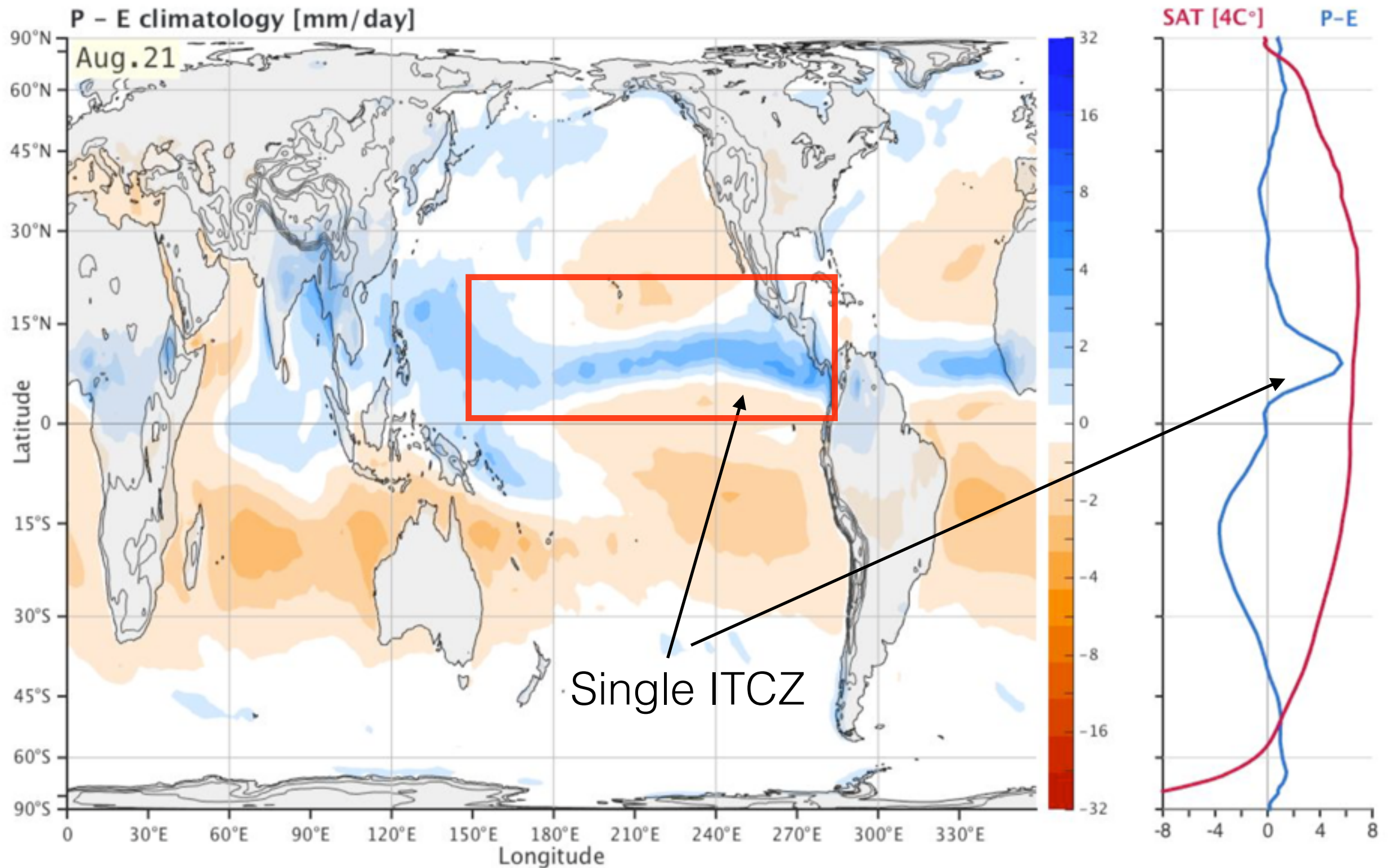
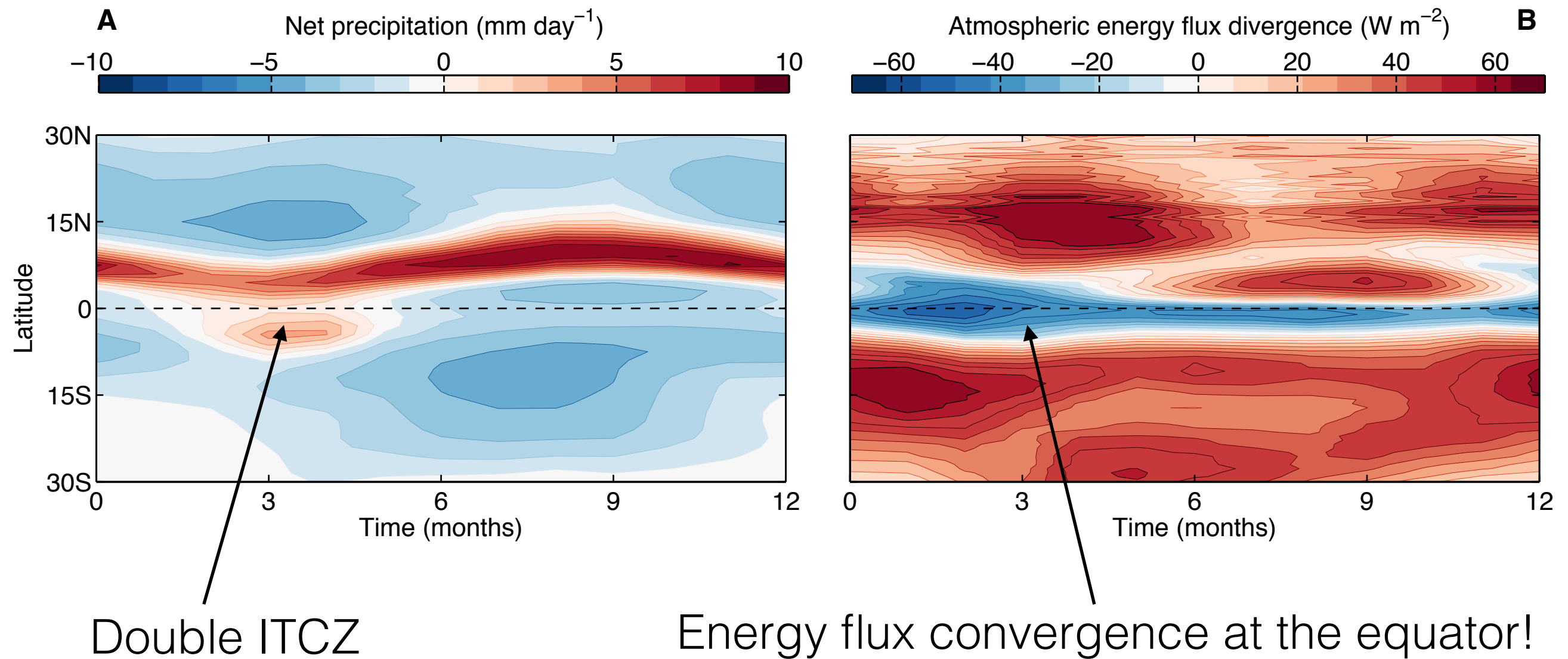


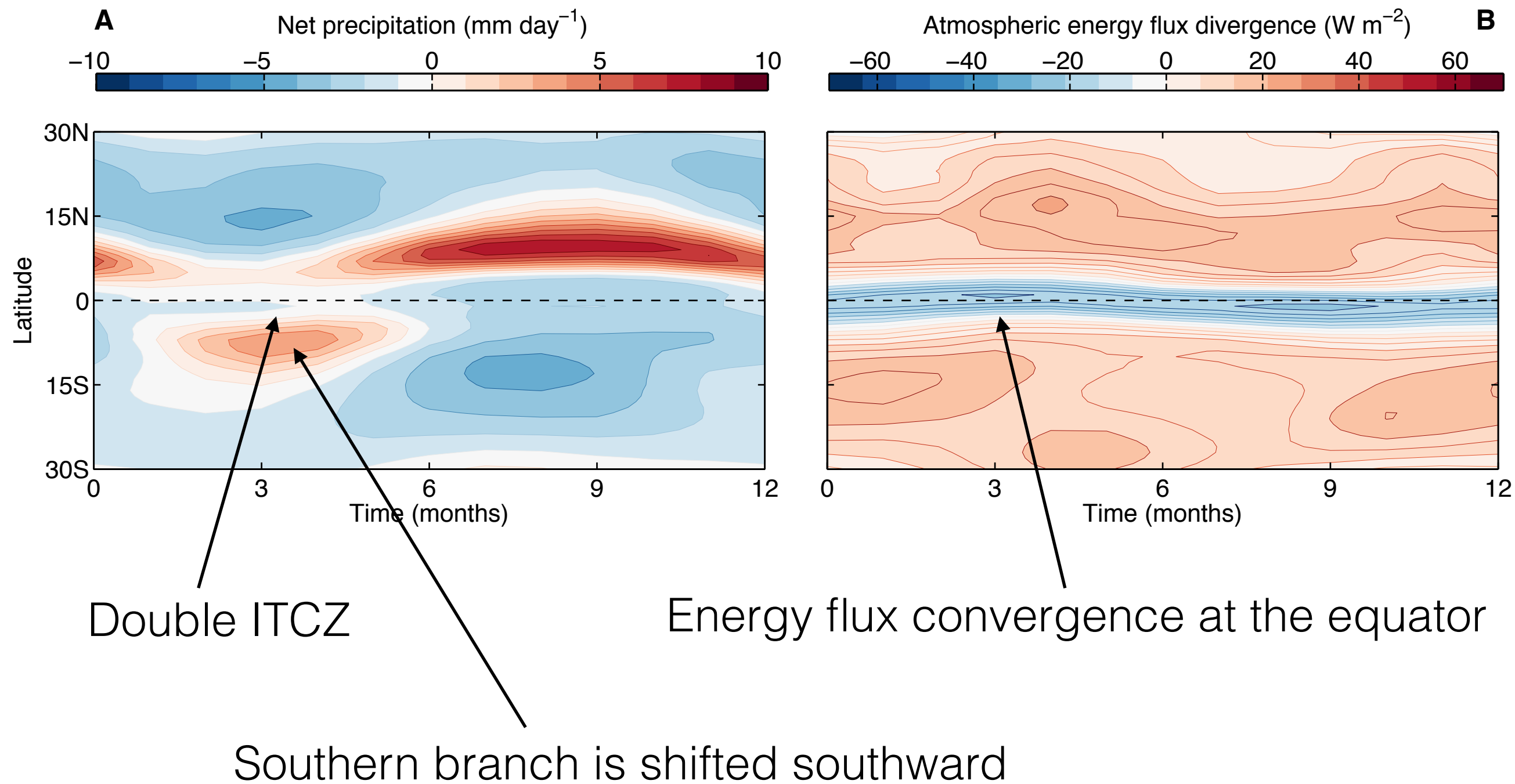
Figure by Ori Adam

Motivation - Reanalysis Data, 2000-260E



Source: NCAR ERA-I

Motivation - CMIP5, 2000-260E



Motivation - What do we know?

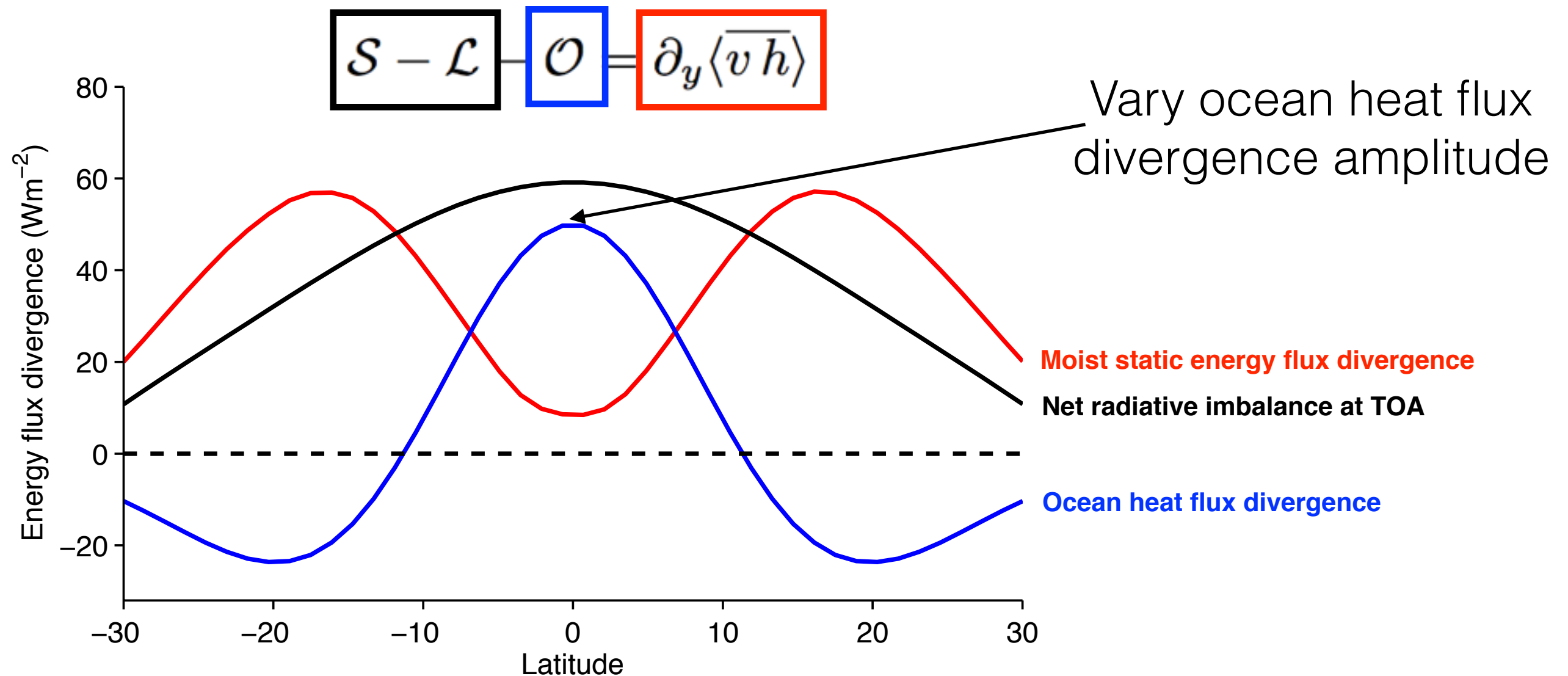
- ITCZ tends to shift to hemisphere with more heating, causing asymmetries in precipitation (e.g., Chiang & Bitz '05, Kang '08/'09)
- Double-ITCZ bias related to Southern Ocean cloud biases, tropical SST biases, etc. (e.g., Lin' 07, Hwang and Frierson '13)
- Net precipitation follows moist static energy flux divergence (Neelin and Held '87)

Motivation - What we want to understand

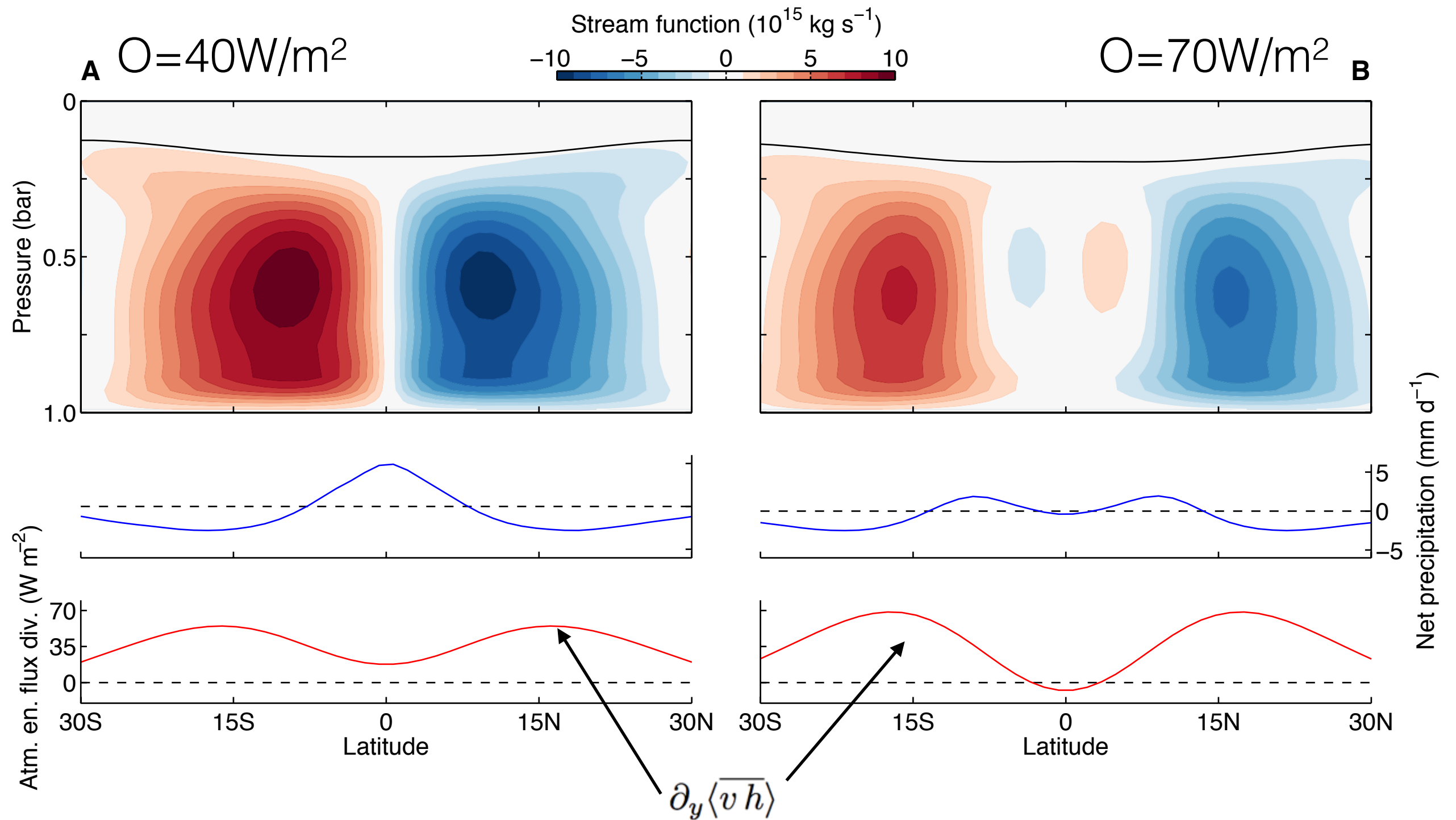
- Under what circumstances do double-ITCZs form?
- Where are the double-ITCZ branches located?
- (What are the implications for climate models?)

Simulations

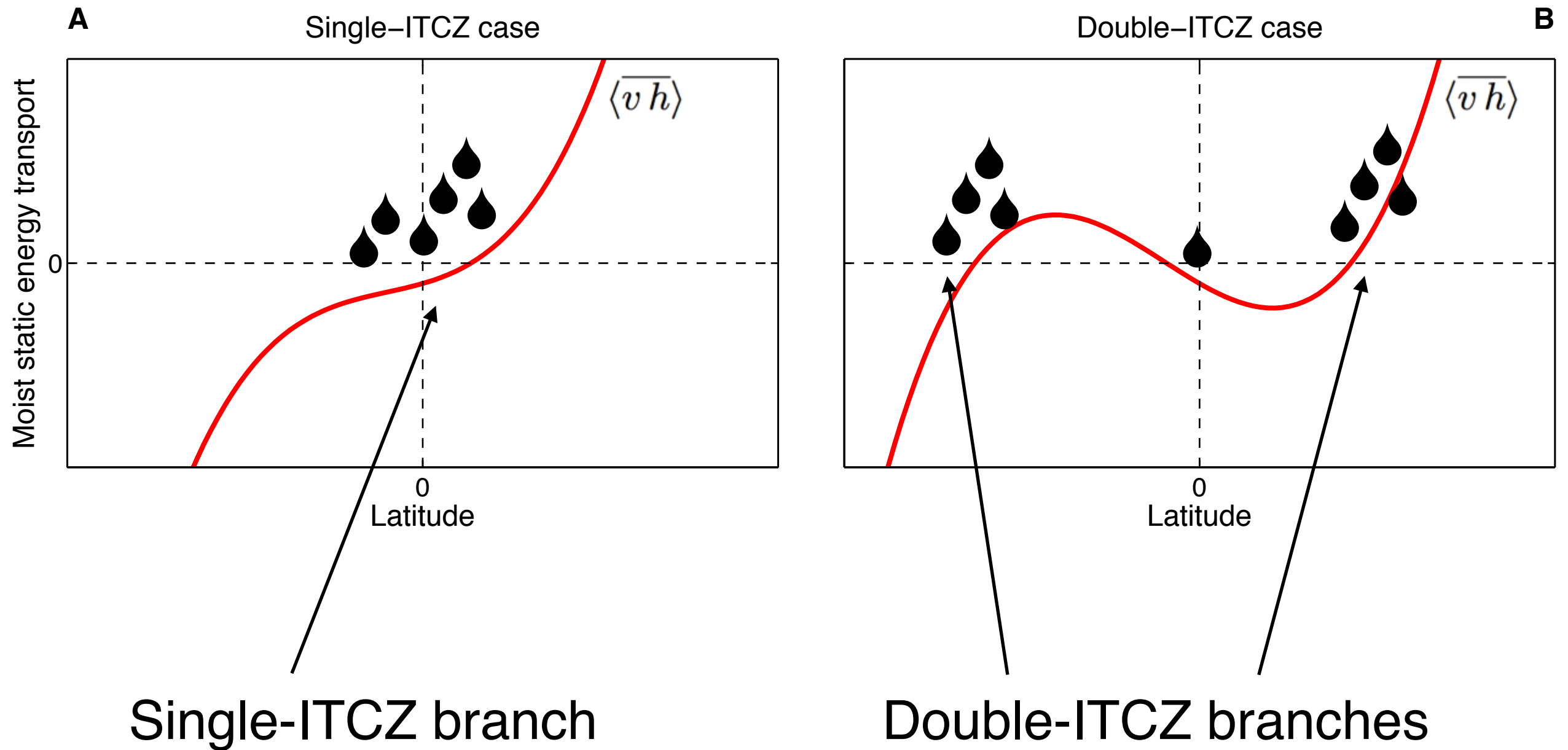
- Aqua-planet with **fixed prescribed ocean heat flux divergence**
- Earth-like configuration, no seasonal cycle (later)
- No clouds, aerosols, etc.



Simulations - Two Examples



ITCZ Location



—> Energy Flux Equator

ITCZ Location

$$\partial_y \langle \overline{v h} \rangle = \mathcal{S} - \mathcal{L} - \mathcal{O}$$



Energy Budget

$$\begin{aligned} \langle \overline{v h} \rangle_\delta &\approx \langle \overline{v h} \rangle_0 + a \partial_y \langle \overline{v h} \rangle_0 \delta + \frac{1}{2} a^2 \partial_{yy} \langle \overline{v h} \rangle_0 \delta^2 \\ &+ \frac{1}{6} a^3 \partial_{yyy} \langle \overline{v h} \rangle_0 \delta^3, \end{aligned}$$

Taylor Expansion



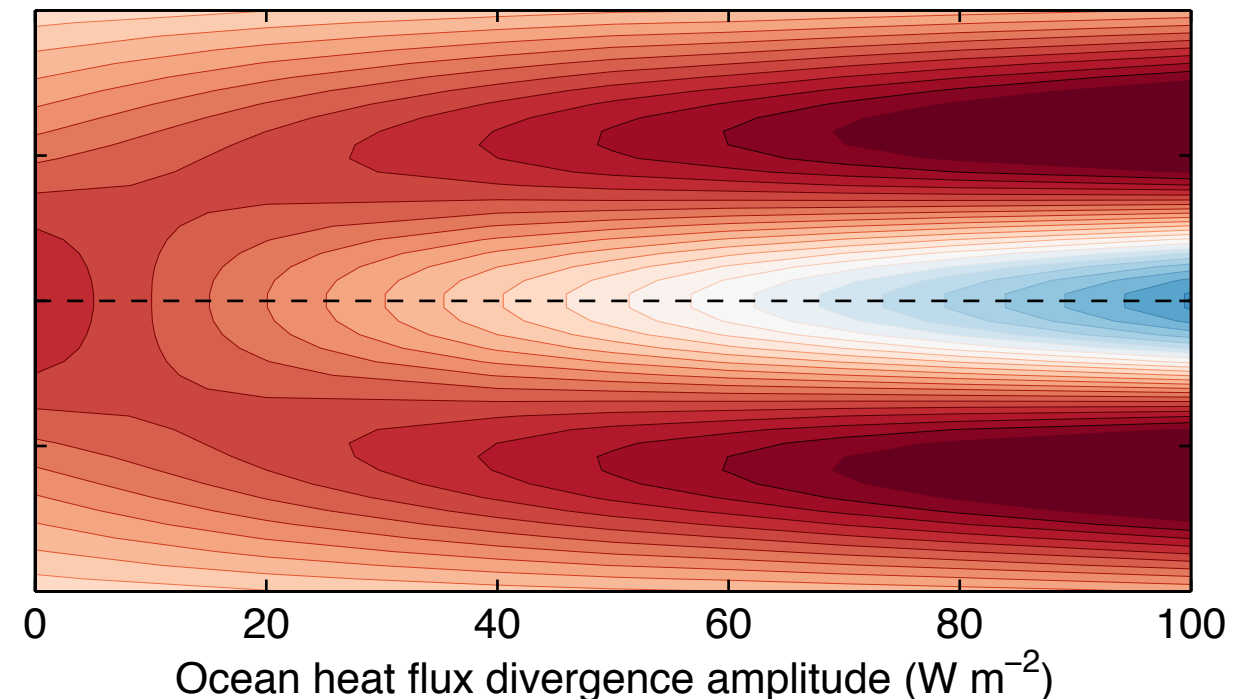
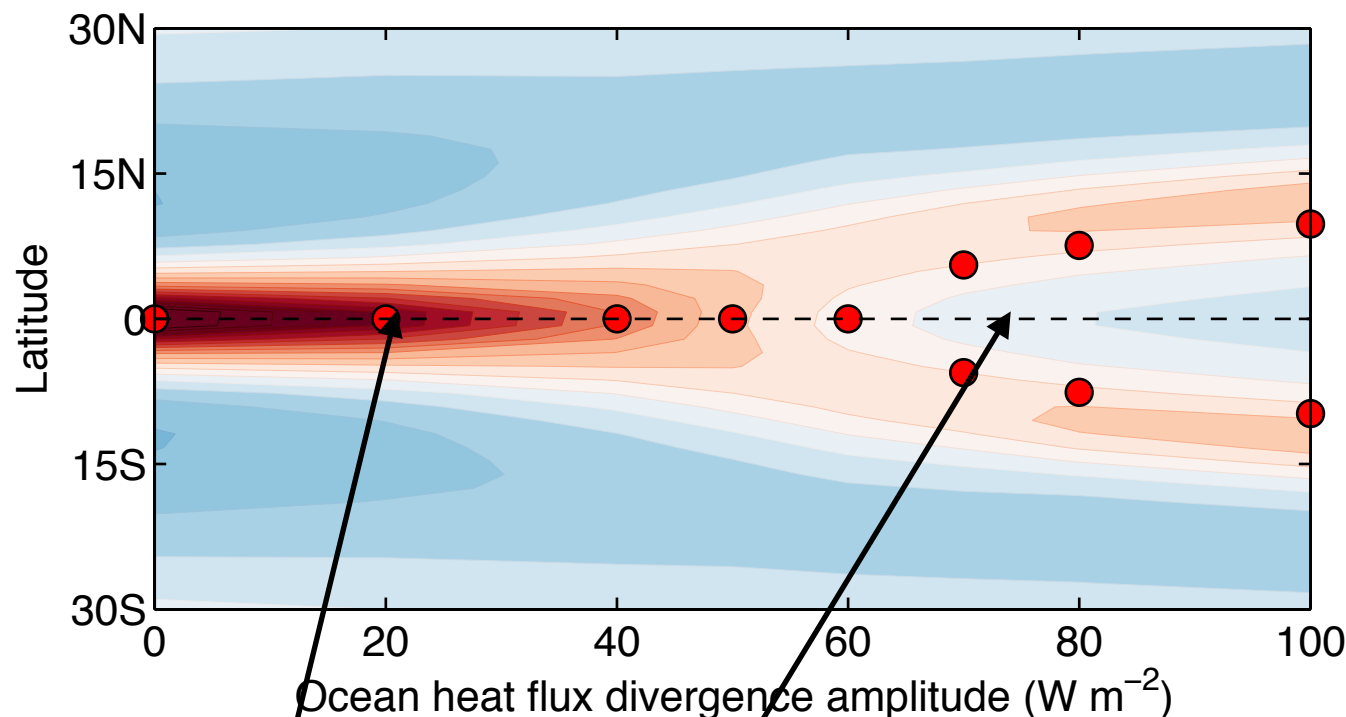
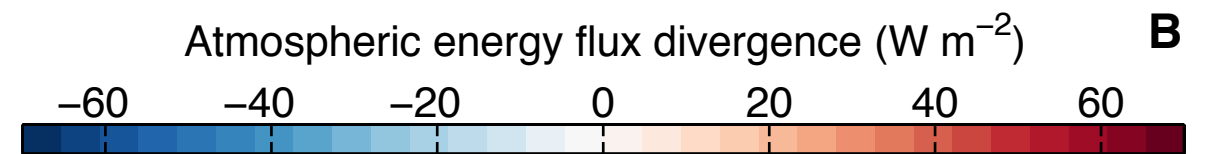
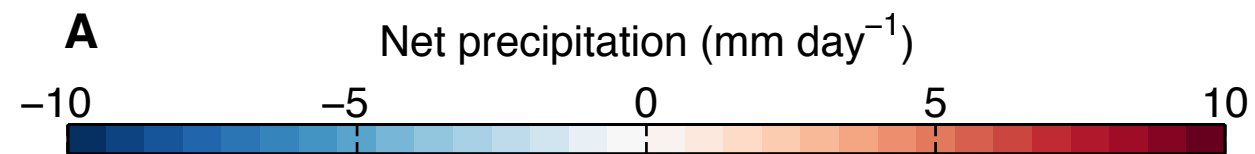
$$\begin{aligned} 0 &\approx a \partial_y \langle \overline{v h} \rangle_0 \delta + \frac{1}{6} a^3 \partial_{yyy} \langle \overline{v h} \rangle_0 \delta^3 \\ &= \left(a \partial_y \langle \overline{v h} \rangle_0 + \frac{1}{6} a^3 \partial_{yyy} \langle \overline{v h} \rangle_0 \delta^2 \right) \delta. \end{aligned}$$



$$\begin{aligned} \delta_{1,2} &\approx \pm \frac{\sqrt{6}}{a} \sqrt{-\frac{[\mathcal{S} - \mathcal{L} - \mathcal{O}]_0}{\partial_{yy} [\mathcal{S} - \mathcal{L} - \mathcal{O}]_0}} \\ \delta_3 &= 0. \end{aligned}$$

v: mrdnl velocity, h: MSE, a: radius

Simulations - Wide Range of Climates

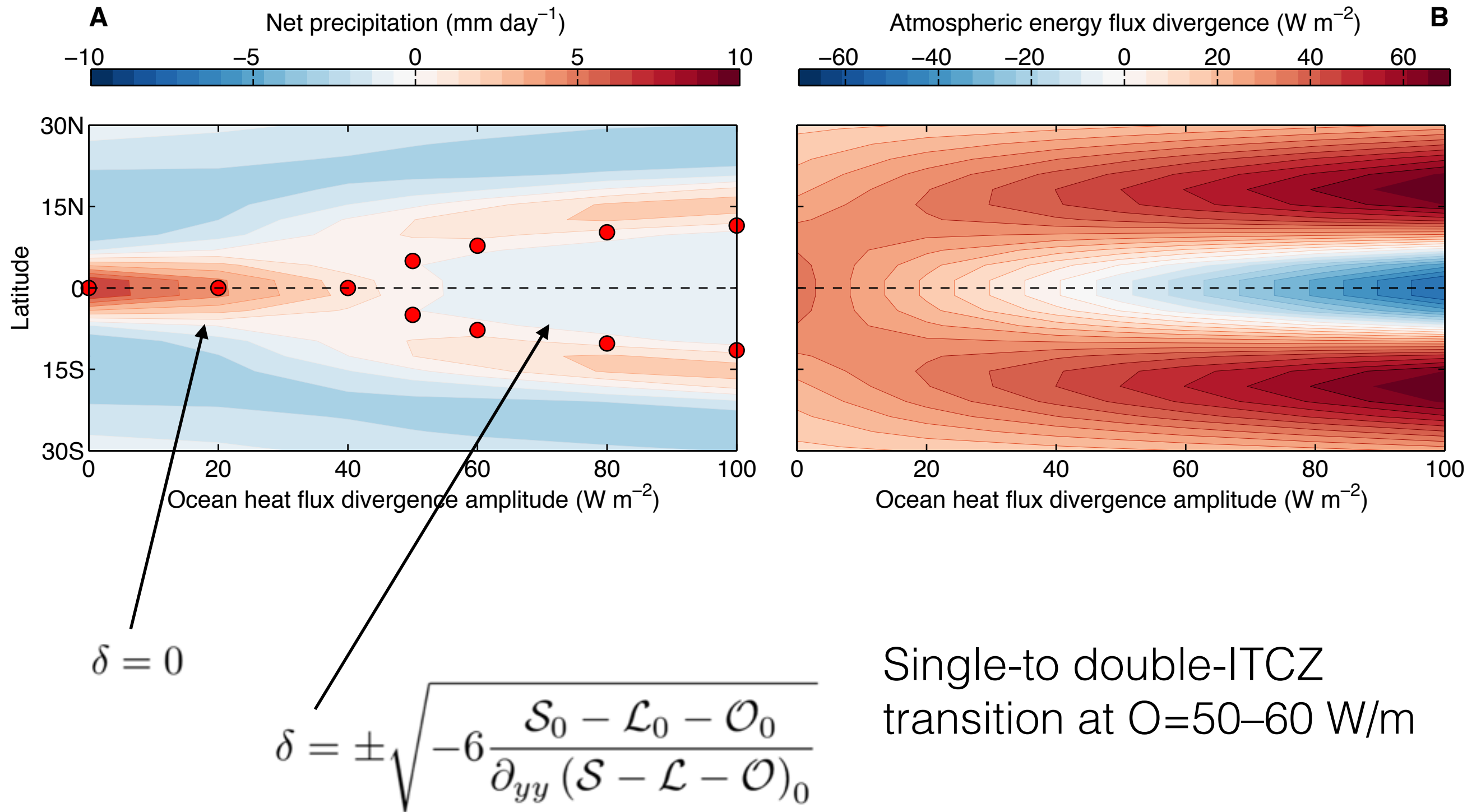


$$\delta = 0$$

$$\delta = \pm \sqrt{-6 \frac{S_0 - \mathcal{L}_0 - \mathcal{O}_0}{\partial_{yy} (S - \mathcal{L} - \mathcal{O})_0}}$$

Single-to double-ITCZ
transition at O=50–60 W/m

Simulations - Seasonal Cycle

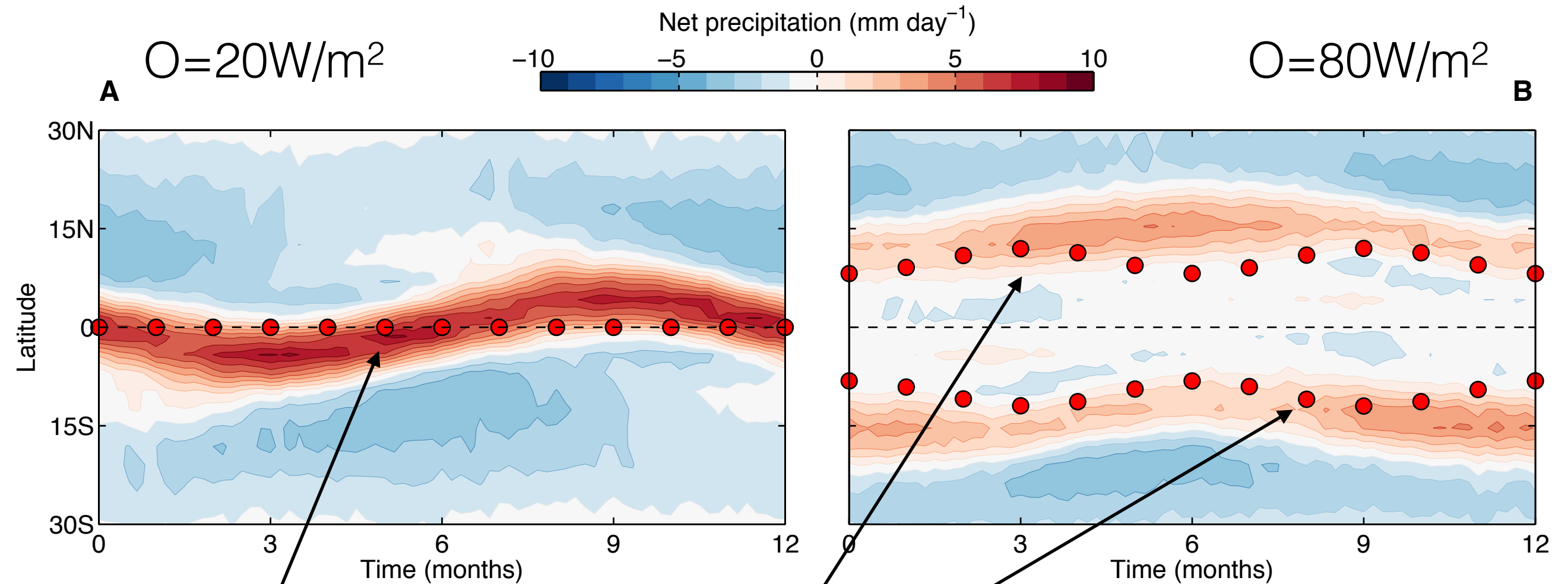


Summary & Conclusions

- Double-ITCZs form when the top-of-atmosphere energy budget becomes small at the equator
- The location of the double-ITCZ branches is determined by the top-of-atmosphere energy budget and its curvature at the equator
- Biases in the tropical energy budget (clouds, SSTs) can impact the location of double-ITCZ branches

Thanks for your attention.
Questions?

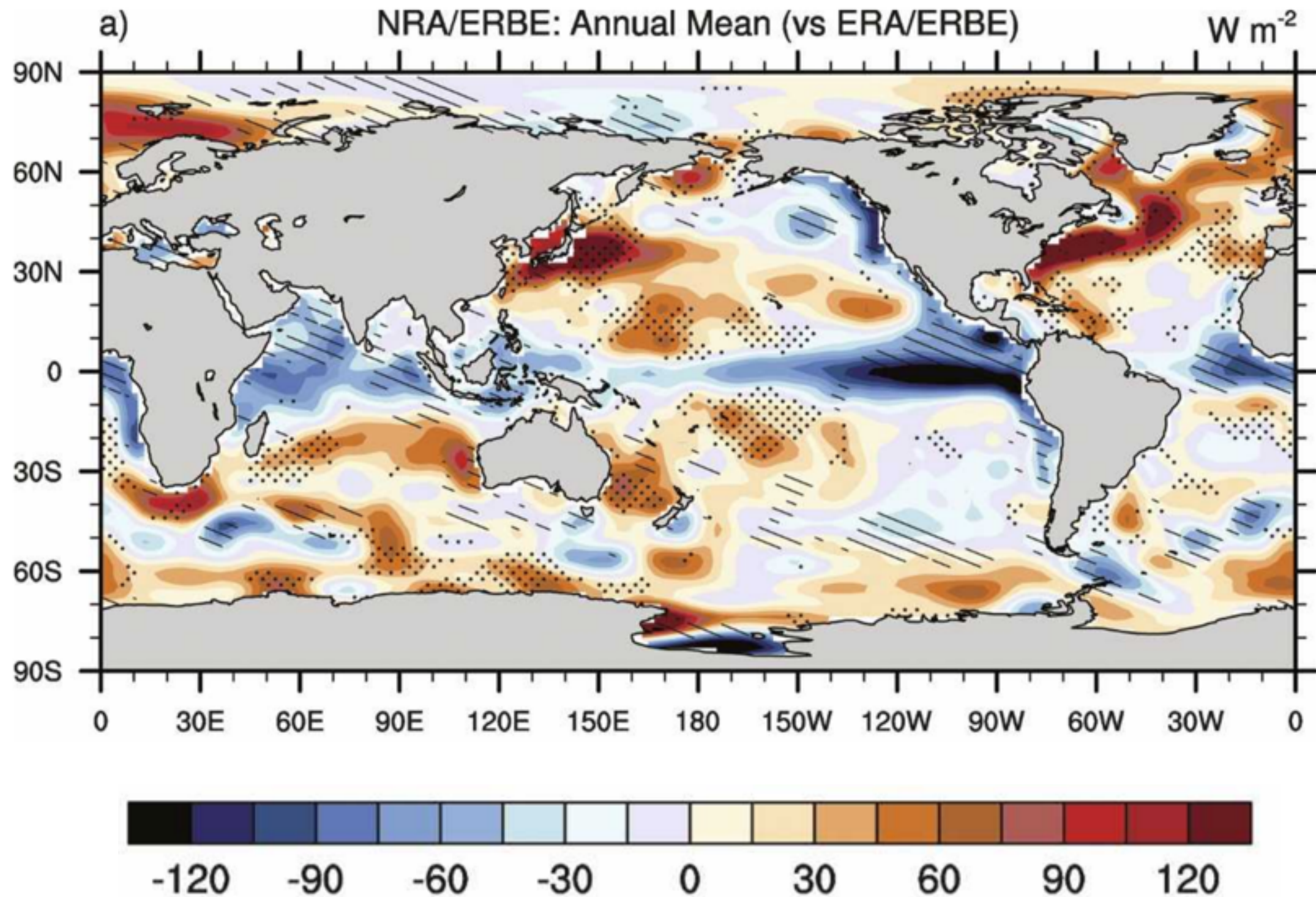
Simulations - Seasonal Cycle



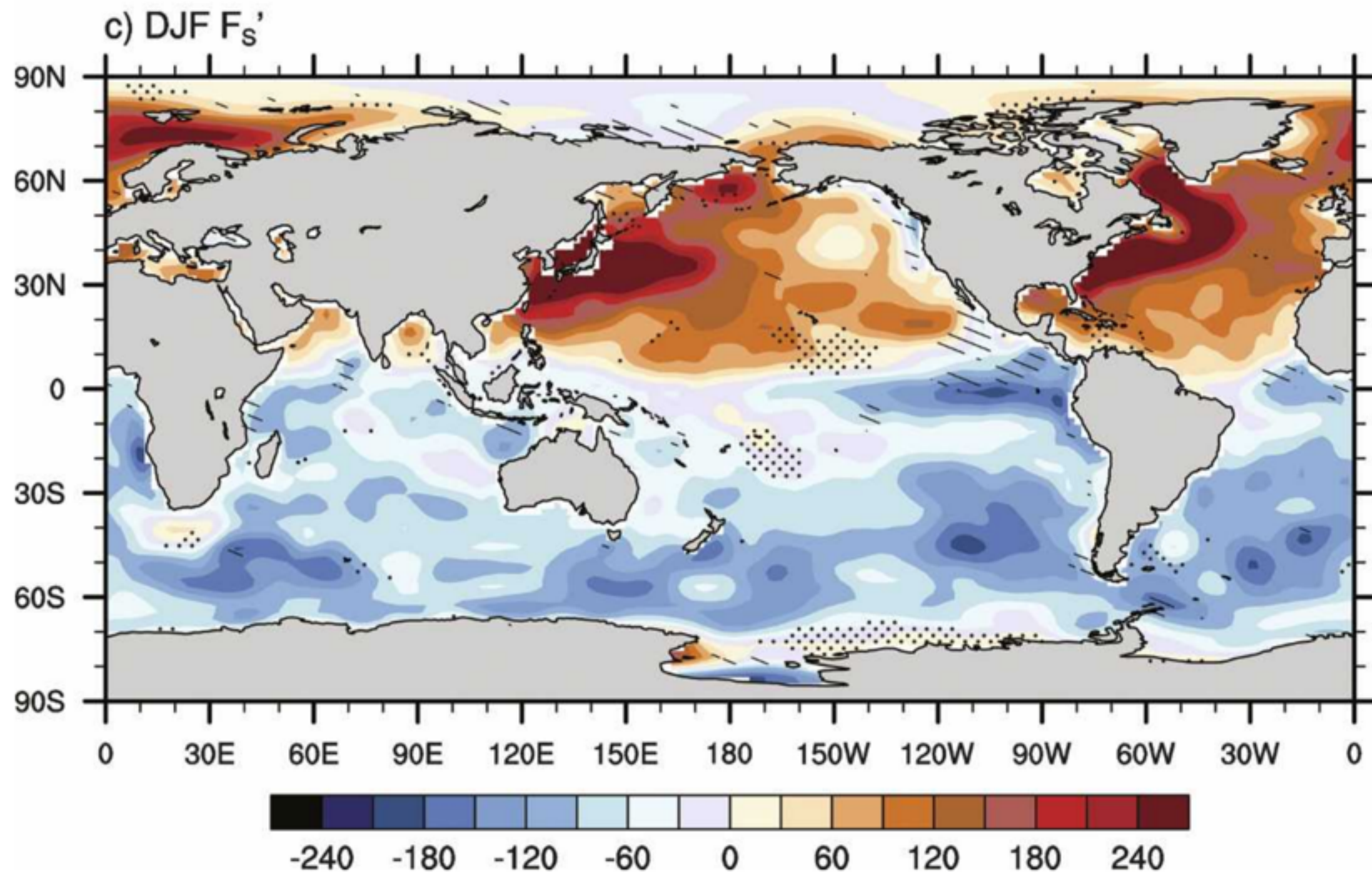
$$\delta = 0$$

$$\delta = \pm \sqrt{-6 \frac{S_0 - \mathcal{L}_0 - \mathcal{O}_0}{\partial_{yy} (S - \mathcal{L} - \mathcal{O})_0}}$$

Motivation - Reanalysis Data



Reanalysis Data



Reanalysis Data

